LESSON		
1	<ul> <li>Arithmetic with Whole</li> <li>Numbers and Money</li> </ul>	Name
	• Variables and Evaluation (page 6)	
• Counting number	re or <b>natural numbers</b> are the numbers we use	<ul><li>Teacher Notes:</li><li>Students who have not had</li></ul>

- Counting numbers or natural numbers are the numbers we use to count: {1, 2, 3, 4, 5, ...)
- Whole numbers are the counting numbers and zero: {0, 1, 2, 3, 4, ...}
- Money can be written either with a cent sign or with a dollar sign and decimal point, but never both. 50¢ or \$0.50
- Four operations of arithmetic: addition, subtraction, multiplication, division

Addition: a	addend	Subtraction:	minuend
+ a	addend		- subtrahend
	sum		difference

Multiplication:

### Division:

factor  $\times$  factor = product

There are three ways to show division. dividend = quotient divisor) dividend divisor

dividend ÷ divisor = quotient

quotient

• Letters called variables are often used in place of numbers in formulas. The variable can mean any number.

n - 10 = 203 + n = 5 $2 \times n = 12$ z - 5 = 2

• When variables are assigned a specific number we evaluate by calculating.

Evaluate each expression for x = 10 and y = 5: x + yXV 10 + 5 = 15 $10 \cdot 5 = 50$ 

## Practice Set (page 10)

**a.** This sign is incorrect. Show two ways to correct the sign.

\$0.

**b.** Name a whole number that is not a counting

Saxon Math Course 1, or who

benefit from working Targeted Practice 1A, 1B, and 1C before

• Introduce Hint #7, "Column

 Refer students to "Division" on page 5 and "Number Families" on

page 10 in the Student Reference

Post reference chart, "Number

Addition (Sets of Ten)."

Lesson 1.

Guide.

Families."

have difficulty with subtraction, multiplication, or division, will

number.

Lemona	de
0.45¢	f
per glass	

**c.** When the **product** of 4 and 4 is **divided** by the **sum** of 4 and 4, what is the quotient? Explain.

( )÷(	) =	First, I <u>m</u>	and <sup>a</sup> .	
product	sum			

\_\_\_ per glass

¢ per glass

Then I d those answers.



Written Practice





 Properties of Operations (page 13)

• Inverse operations "undo."

To undo addition, subtract.

$$2 + 3 = 5$$

To undo multiplication, divide.

 $4 \times 5 = 20$ 

• Commutative Property of addition and multiplication:

Changing the order of the addends or factors does not change the answer.

5 - 3 = 2

The numbers can commute either way.

2 + 3 = 5	3 + 2 = 5
$4 \times 5 = 20$	$5 \times 4 = 20$

• The commutative property is not true of subtraction or division.

## • Identity Property of addition and multiplication:

When a number is added to zero, it does not change the number. Zero is the additive identity.

5 + 0 = 5

When a number is multiplied by one, it does not change the number. One is the multiplicative identity.

 $5 \times 1 = 5$ 

Associative Property of addition and multiplication:

How the numbers are grouped does not affect the answer. They can associate with any number they want to.

(2 + 3) + 4 = 2 + (3 + 4) $(2 \times 3) \times 4 = 2 \times (3 \times 4)$ 

• The associative property is not true of subtraction or division.

## • Property of Zero for multiplication:

When any number is multiplied by zero, the product is zero.

 $8 \times 0 = 0$ 

- In division if the divisor and the dividend both end in zero, you can cancel matching zeros to make the problem easier.
  - 1. Rewrite the problem in fractional form. (This may be only a mental step.)
  - 2. Cancel matching zeros.
  - 3. Use short division.
  - 4. If the answer is written with a remainder, add the zeros back to the remainder.

06 9 R 3 0069 R 30 so 4)27<sup>3</sup>9 40)2790 40)2790

#### Teacher Notes:

Name .

- Introduce Hint #8, "Fact Families," and Hint #9, "Long Division: 'Canceling Matching Zeros.'"
- Refer students to "Properties of Operations" on page 19 in the Student Reference Guide.
- Triangle Fact Cards are available in the Adaptations Manipulative Kit.

Properties of Operations		
Commutative Properties		
a + b = b + a		
$a \times b = b \times a$		
Associative Properties		
(a + b) + c = a + (b + c)		
$(a \times b) \times c = a \times (b \times c)$		
Identity Properties		
a + 0 = a		
$a \times 1 = a$		
Property of Zero for Multiplication		
$a \times 0 = 0$		

 $20 \div 4 = 5$ 

5

Practice Set (page	e 17)				_
a. The additive ident	ity is <u>z</u> . T	The <i>multiplicat</i>	<i>ive</i> identity is <u>o</u>		
<b>b.</b> The <b>inverse</b> operation	ation of <i>multiplication</i> i	s <u>d</u>	<u> </u> .		
<b>c.</b> Using <i>x</i> , <i>y</i> , and <i>z</i> ,	an illustration of the as	sociative prop	perty of addition w	ould be:	
( +	) + =	+ ( +	)		
Now use numbers	s in place of letters.				
( +	) + =	+ ( +	)		
<b>d.</b> $5 \times ? = 8 \times 5$ To find the missin	g number in this equat	ion you would	use the <u>C</u>		
Pomombor to work w	within the perentheses	firet			
<b>e.</b> $(5 + 4) + 3 =$	<b>f.</b> $5 + (4 + 3) =$	= <b>g.</b>	(10 – 5) – 3 =	<b>h.</b> 10 − (5 − 3) =	
i. (6 · 2) · 5 =	j. 6 · (2 · 5) = _	k.	(12 ÷ 6) ÷ 2 =	<b>I.</b> 12 ÷ (6 ÷ 2) =	
m. List the properties	s used in each step to	simplify the ex	pression $5  imes$ (14	× 2).	
	Steps: $5  imes$ (14 $ imes$ 2)	Justifica Given ex	tion: pression		
Step 1	5 imes (2 $ imes$ 14)	С	<u>P</u>	of <u>m</u>	
Step 2	(5 $ imes$ 2) $ imes$ 14	<u>A</u>	<u>P</u>	of <u>m</u>	
Step 3	10  imes 14	M	5 ×	_	
Step 4	140	M	10 ×		
Written Prace	(page 18)				
<b>1.</b> ( ) – ( sum prod	) = <b>2.</b> fo	our cents	:	3. <i>Fruit</i> 0.75¢ per apple	© 2007 Harcourt Achieve Inc.
				per apple	
r I I					- 4   
 				per apple	   





## Unknown Numbers in Addition, Name — Subtraction, Multiplication, and Division (page 20)

• Equation: A statement that two quantities are equal.

3 + 4 = 7 5 + a = 9

- Variable: A letter that stands for any unknown number.
- The chart below shows how to solve equations for an unknown number.

#### **Teacher Notes:**

- Introduce Hint #10, "Finding Missing Numbers."
- Refer students to "Missing Numbers" on page 4 in the Student Reference Guide.

Missing Numbers			
Operation	Examples		
Addition: To find the missing addend → subtract	$\frac{2}{+\frac{A}{5}} \frac{5}{-\frac{2}{A}} = 3 \qquad \frac{3}{5} \frac{-\frac{5}{-\frac{3}{B}}}{-\frac{3}{-\frac{3}{B}}} = 2$		
Subtraction: 1. To find the missing top number	$\frac{-\frac{N}{3}}{2} \qquad \frac{+2}{N} = 5$		
<ul> <li>2. To find the missing bottom number (subtrahend) → subtract</li> </ul>	$\frac{-\frac{5}{\gamma}}{2} \qquad \frac{-\frac{5}{2}}{\gamma} = 3$		
Multiplication: To find the missing factor → divide	$\frac{3}{\frac{\times N}{6}}  \frac{N}{3)6} = 2  \frac{N}{\frac{\times 2}{6}}  \frac{N}{2)6} = 3$		
Division: 1. To find the missing dividend →	$2^{\frac{8}{N}} \qquad \frac{\times 2}{N} = 16$		
<ol> <li>To find the missing divisor → divide</li> </ol>	$\frac{2}{N)\overline{8}} \qquad \frac{N}{2)\overline{8}} = 4$		

## Practice Set (page 23)



## Saxon Math Course 2





Written Practice	(continued) (page 25)	
<b>21.</b> offset		<b>22.</b> $1100 - (374 - 87) =$
<b>23.</b> (1100 – 374) – 87 =		<b>24.</b> 4736 271
1100 <u>374</u> 87		9 <u>+ 88</u>
		·
<b>25.</b> 30,145		<b>26.</b> Cancel matching zeros.
		)
<b>27.</b> long division		<b>28.</b> long division
\$40.00		35)2104 <sup>R</sup>
		· · · · · · · · · · · · · · · · · · ·
29. offset	•	<b>30.</b> One is the multiplicative identity because
\$0.48		when any number is <u>m</u> by 1,
	r	n Is identical to that
		Use work area.

- Number Line
  Sequences (page 26)
- A **number line** shows numbers arranged in order from smaller to larger numbers.



- The origin is the zero point of a number line.
- **Opposites** are numbers the same distance (to the right and left) of the origin (-3, +3).
- Integers are all counting numbers (positive and negative) and zero, but not fractions. {..., -3, -2, -1, 0, 1, 2, 3, ...}
- Zero is neither positive nor negative.
- **Comparison symbols** show equals (=), greater than (>), and less than (<).

-5 < 4	3 + 2 = 5	5 > -6
–5 is less than 4	3 plus 2 equals 5	5 is greater than -6

• Example: Show this subtraction problem on a number line: 3 - 5



- A sequence is an ordered list of numbers (terms) that follow a pattern.
- Arithmetic sequence: the same number is added to each term to make the next term.
- Geometric sequence: each term is *multiplied* by the same number to make the next term.
- The pattern for a sequence can be expressed as a formula.
- To write the sequence, substitute counting numbers for the variable and write the answers.

**Example:** k = 2n Replace *n* with 1, 2, 3, 4, ...

$$k = 2(1) = 2$$
  $k = 2(2) = 4$   $k = 2(3) = 6$   $k = 2(4) = 8$ 

The sequence is 2, 4, 6, 8, ...

Name \_

- Introduce Hint #11, "Positive and Negative Numbers," Hint #12, "Comparing Numbers," Hint #13, "Finding Patterns in a Sequence," and Hint #14, "Abbreviations and Symbols."
- Refer students to "Number Line" on page 9 in the *Student Reference Guide.*
- A number line is available in the Adaptations Manipulative Kit.

## Practice Set (page 31)

For problems **a–c**, use arrows to represent the addition or subtraction. Circle the answer on the number line.



( ) ( )

Write the proper comparison symbol in each circle.



h. What is the first step you take before comparing the expressions in f and g?

First I must simplify each expression before <u>c</u> them.

i. Where is the origin on the number line?

**j.** Simplify: 436 – 630 = \_\_\_\_ (*Be careful!*) 630

**k.** Find the next three numbers of this sequence: ..., 3, 2, 1, 0, -1, ... \_\_\_\_, \_\_\_\_,

- I. Find the next three terms of this sequence: See times table in the Student Reference Guide.
  - 1, 4, 9, 16, 25, 36, 49, ... \_\_\_\_, \_\_\_\_, \_\_\_\_,

m. Describe the rule of this sequence and find the next three terms.

1, 2, 4, 8, ... \_\_\_\_, \_\_\_\_, Each term in the sequence can be found by <u>m\_\_\_\_\_</u>

the preceding t\_\_\_\_\_ by \_\_\_\_.

**n.** The rule of a certain sequence is k = (2n) - 1. Find the first four terms of the sequence.





- Place Value Through Hundred Trillions
- Reading and Writing Whole Numbers (page 34)
- The value of a digit is determined by its **place** within a number.

#### Whole Number Place Values

hundred thousands nundred millions nundred trillions nundred billions en thousands decimal point en millions: en trillions en billions chousands hundreds trillions millions billions tens ones

Name \_

#### Teacher Notes:

- Introduce Hint #15, "Place Value (Digit Lines)."
- Refer students to "Spelling Numbers" on page 9 and "Place Value" on page 11 in the *Student Reference Guide.*

• To change from standard numbers to **expanded notation**, name the **place value** of each digit:

 $3265 = (3 \times 1000) + (2 \times 100) + (5 \times 10) + (6 \times 1)$ 

- To change from expanded notation to standard numbers:
  - **1.** Count the places in the first parentheses:  $(4 \times 1000) + (6 \times 10) + (2 \times 1)$
  - 2. Draw digit lines for each place: \_
  - **3.** Fill in the digit lines: <u>4</u>, <u>0</u> <u>6</u> <u>2</u>
- To write numbers using digits:

Put a comma after: trillions, billions, millions, and thousands.

 trillions
 billions
 millions
 thousands
 units

 Always put three digits after a comma.
 Use digit lines to help.
 Use digit lines to help.

 • To write numbers using words:
 Put a comma after: trillions, billions, millions, and thousands.
 Use a hyphen for all numbers between 20 and 100 that do not end in zero.

Practice Set (page 38)			
<b>a.</b> ten-billions place 217,534,896,000,000	<b>b.</b> 9,876,543,210,000	c. 2500 ( $ imes$	) + (5 × )
Use words to write each number:			
<b>a.</b> 36427580 Hint: First put in commas	)		

Practice Set (continued) (page 38)	
e. 40302010 Hint: First put in commas.	million,
f. How do we know where to place commas when	writing the numbers in <b>d</b> and <b>e</b> as words?
Commas separate periods in a <u>n</u> .	In <b>d</b> and <b>e</b> place a comma after <u>t</u>
and <u>m</u> .	
Jse digits to write each number:	
<b>g.</b> twenty-five million, two hundred six thousand, fo	orty
<b>n.</b> fifty billion, four hundred two million, one hundre	
<b>i.</b> \$15 billion \$,,	,,,,
j. \$15 <u>m</u>	
Written Practice (page 38)	
1	<ol> <li>One hundred one thousand is greater than one thousand, one hundred.</li> </ol>
	· , , ,
	_ Use work area.
<b>3.</b> 50,574,006 words:	<b>4.</b> trillions place 12,345,678,900,000
	_
Lise work area	 a
<b>5.</b> two hundred fifty million, five thousand, seventy	<b>6.</b> -12 -15
	words:
,	
,,,,,,	Use work area.







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Factors
Divisibility (page 40)

- A **factor** is a whole number that divides into another whole number evenly.
- To list the factors of whole numbers:
  - 1. Always start with the number 1.
  - 2. Always end with the number given.
  - **3.** Then find all the factors of the number. (Use the times table in the *Student Reference Guide.*)
  - 4. List the numbers in order.Example: The factors of 12 are

<u>1, 2, 3, 4, 6, 12</u>

- To find the **Greatest Common Factor (GCF)** of two or more numbers:
  - **1.** List (in order) the factors of the *smallest* number.
  - 2. Starting with the *greatest* factor, cross off any factor that does not divide evenly into each of the other numbers.
  - **3.** Circle the first factor that divides evenly into each of the other numbers. This is the *GCF*.

## Practice Set (page 42)

List the whole numbers that are factors of each number.

**a.** 25 <u>1</u> **b.** 23 <u>1</u> **c.** 24 <u>1</u> <u>...</u> <u>....</u> <u>...</u> <u>...</u> <u>...</u> <u>...</u> <u>...</u> <u>...</u> <u>...</u> <u>...</u> <u>...</u>

List the whole numbers from 1 to 10 that are factors of each number. Use Tests for Divisibility.

d.	1260,,,
e.	73,500,,,,,,,
f.	3600,,
g.	List the single-digit divisors of 1356,,,,,
h.	The number 7000 is divisible by which <i>single-digit</i> numbers?,,,,,,
i.	List all the <i>common</i> factors of 12 and 20,,

j. Find the greatest common factor (GCF) of 24 and 40.

Name \_\_\_\_

### Teacher Notes:

- Introduce Hint #16, "Factors of Whole Numbers," Hint #17, "Finding the Greatest Common Factor," and Hint #18, "Tests for Divisibility."
- Refer students to "Factors" and "Tests for Divisibility" on page 5 in the *Student Reference Guide*.

## Tests for Divisibility

A number is divisible by . . .

- 2 if the last digit is even.
- 4 if the last two digits can be divided by 4.
- 8 if the last three digits can be divided by 8.
- 5 if the last digit is 0 or 5.
- 10 if the last digit is 0.
- 3 if the sum of the digits can be divided by 3.
- 6 if the number can be divided by 2 and by 3.
- 9 if the sum of the digits can be divided by 9.

A number ending in . . . one zero is divisible by 2. two zeros is divisible by 2 and 4. three zeros is divisible by 2, 4, and 8.

Practice Set (continued) (page 42)	
<b>k.</b> How did you find your answer to exercise <b>j</b> ?	
First list the factors of 24: <u>1</u> ,,,,	,,,,,24
Next cross off any of these that are NOT facto	rs of 40.
The four common factors are:,,	, The GCF is
Written Practice (page 43)	
<b>1.</b> ( ) ÷ ( ) = product sum	<b>2. a.</b> List the factors of 30:
	Cross off the numbers that are NOT factors of 40.
	<b>b.</b> GCF         The greatest         factor in a.         is the GCF. <b>b.</b>
<ul> <li><b>3.</b> Use negative odd numbers, braces, ellipses, and digits.</li> <li>,,, -1</li> </ul>	<ol> <li>four hundred seven million, six thousand, nine hundred sixty-two</li> </ol>
Use work area.	· · · · · · · · · · · · · · · · · · ·
5. factors from 1 to 10	6. –7 🔵 –11
12,300	words: <u>N</u> seven is
	g than negative
	e
,,,,,,,	Use work area.
<b>7.</b> 3456	<b>8.</b> 2 – 5
	-4 -3 -2 -1 0 1 2 3
  ,,,,,,,,	Use work area.





## • Lines, Angles and Planes (page 45)

- A plane is a flat (two-dimensional) surface like a table top.
- A line has no end. It extends in opposite directions forever.
  - A B Line AB or line BA;  $\overrightarrow{AB}$ ,  $\overrightarrow{BA}$
- A ray has one endpoint. It extends in one direction forever.

\_\_\_\_\_\_B\_\_\_\_ Ray AB; 
$$\overrightarrow{AB}$$

• A segment has two endpoints. Its length can be measured.

 $B = B = Segment AB \text{ or Segment } BA; \overline{AB}, \overline{BA}$ 

- The length of  $\overline{AB}$  is m $\overline{AB}$  or AB.
- When lines cross, they intersect.
- Parallel lines do not intersect, like railroad tracks.
- Perpendicular lines intersect to form square corners, like the corner of a piece of paper.
- Lines that intersect but are not perpendicular are oblique lines.



- An angle is formed by two rays with a common endpoint, called the vertex.
- Angles can be named using the letter of the vertex, three letters with the vertex in the middle, or a number.
- An angle is classified by the size of its opening:

If the opening is a square corner, it is a **right** angle. If the opening is smaller than a right angle, it is an **acute** angle.

If the opening is greater than a right angle, it is an **obtuse** angle.





## Practice Set (page 50)

a. Name a point on this figure that is not on ray BC.



## Teacher Notes:

Name \_

- Introduce Hint #19, "Geometry Vocabulary."
- Refer students to "Types of Angles" and "Types of Lines" on pages 17 and 18 in the *Student Reference Guide.*
- Post reference chart, "Angles and Triangles."

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Pr	Practice Set (continued) (page 50)								
b.	In this figure XZ is 10 c	n and YZ is 6 cn	n. Find <i>XY.</i>						
	<u>х</u>	<i>Y</i> ●	6 cm	Z	cm				
		10 cm	n						
c.	Draw two parallel lines.		<b>d.</b> Dr	aw two perpend	<i>dicular</i> lines.				
e.	Draw two lines that intersect but are not perpendicular. What word describes the relationship of these								
	lines? oI	ines							
f.	Draw a <i>right</i> angle.	<b>g.</b> Dra	w an <i>acute</i> angle.	<b>h.</b> Dra	aw an <i>obtuse</i> angle.				
i.	Two intersecting segments are drawn on the board. One segment is vertical and the other is horizontal.								
	Are the segments paral	lel or perpendicu	ılar?	_					
Fo	r <b>j</b> and <b>k</b> , use classroom	words: wall, cei	ling, floor.						
j.	Describe a physical exa	mple of parallel	planes: <u>f</u>	and <u>c</u>					
k.	Describe a physical exa	Imple of intersec	ting planes: <u>f</u>	and <u>w</u>	/				
I.	Lines intersect at a poir	nt and planes int	ersect in a <u>l</u>						
m. n.	<ul> <li>m. See top of page 50. If a power pole represents one line and a paint stripe in the middle of the road represents another line, then the two lines are</li> <li>A Parallel</li> <li>B Intersecting</li> <li>C Skew</li> <li>n. Sketch a part of the classroom where three planes intersect, such as two adjacent walls and the ceiling.</li> </ul>								
	Written Practice	(page 50)							
	<b>1.</b> <i>a</i> ⋅ <i>b</i> = 35		<b>2.</b> –	5 · 1 = -5					
	Which two one-digit nur	nbers multiply to 35	5?						
	a + b =				Property of <u>m</u>				
	<b>3.</b> factors of 50 List the numbers that me	Iltiply to 50 togethe	<b>4.</b> T	wo minus five e	quals negative three.				
	and, ;	and,	and						
	<b>5.</b> 90 million		<b>6.</b> s	ngle-digit facto	rs of 924				
	    ,	,		    , _	, ,,,,,,				

Ξ

\_



Written Practice	(continued) (page 52)	
<b>19.</b> 36,475 <u>+ 55,984</u>	<b>20.</b> 476 <u>× 38</u>	<b>21.</b> \$80.00 72.45 (\$68.00)
<b>23.</b> 8 · 7 · 5 Given exp	pression	<b>24.</b> Cancel matching zeros.
7 • 8 • 5 <u>C</u>	Property of m	4000 ÷ (200 ÷ 10) =
7 · (8 · 5) <u>A</u>	Property of m	(4000 ÷ 200) ÷ 10 =
$7 \cdot 40  8 \cdot 5 = 40$ 280 $7 \cdot 40 = 2$	) 280   Use w	
<b>25.</b> <i>a</i> = 200 <i>b</i> = 400 <b>a.</b> <i>ab</i> =	a	<ul> <li><b>26. a.</b> Which angle is an acute angle?</li> <li><b>b.</b> Which angle is a straight angle?</li> </ul>
<b>b.</b> $a - b =$ <b>c.</b> $\frac{b}{a} =$	b	$\begin{array}{c} B \\ A \\ M \\ C \end{array}$
27. Perpendicular lines r	nake <u>r</u>	28. Name three segments.
angles.		$\begin{array}{c c} X & Y & Z \\ \hline \bullet & \bullet & \bullet \\ \hline \bullet & \bullet & \bullet \\ \hline \end{array}$
	Use work area.	
<b>29.</b> $\underline{A}$ m $\overline{XY}$ find m $\overline{XZ}$ .	<sup>*</sup> and <u>m</u> to	<b>30.</b> Sketch two intersecting planes.
	Use work area.	 Use work area. /

# • Fractions and Percents

Inch Ruler (page 53)

- A fraction is written with two numbers and a division bar.
  - numerator  $\longrightarrow \frac{1}{4}$   $\leftarrow$  division bar
- The **denominator** shows the total number of parts in the whole. The **numerator** shows how many of the parts are being considered.
- The "denominator" of a percent is always 100.
  - 25 percent (25%) means  $\frac{25}{100}$
- Use fraction manipulatives to change fractions to percents and percents to fractions.
- A mixed number is a whole number and a fraction.
- To name a mixed number on a number line:

  - **2.** Count the number of parts between whole numbers. This is the denominator of the fraction: 4 parts
  - **3.** Count the number of parts after the whole number to the point. This is the numerator of the fraction: 3
- Here is a magnified view of an inch ruler with divisions of  $\frac{1}{16}$  of an inch.

1 16	1 8	 <u>3</u> 16	1 4	5 16	38	 <u>7</u> 16	1 2	9 16	5 8	 <u>11</u> 16	3 4	 <u>13</u> 16	<u>7</u> 8	 <u>15</u> 16	1
inch															

### Teacher Notes:

Name .

- Fraction, decimal, and percent tower cubes are available in the Adaptations Manipulative Kit. It is recommended that Adaptations students use these manipulatives rather than the pie-shaped fraction manipulatives introduced in Investigation 1 in the mainstream *Student Edition.*
- If the Adaptations Manipulative Kit is not available, Hint #21, "Fraction Manipulatives," describes how to make paper fraction, decimal, and percent tower manipulatives.
- Introduce Hint #20, "Naming Fractions/Identifying Fractional Parts," Hint #22, "Percent," and Hint #23, "Reading Inch Rulers."
- Refer students to "Fraction Terms" and "Fraction-Decimal-Percent Equivalents" on pages 12 and 13 in the *Student Reference Guide*.
- Beginning with this lesson, students will often require inch rulers to complete the written practice.
- Post reference charts, "Examples of Spelling Numbers" and "Often Used Fractions."
- A measure is precise within half of the unit used for the measurement. If the unit is <sup>1</sup>/<sub>4</sub> of an inch, the measure is precise to <sup>1</sup>/<sub>8</sub> of an inch.
- The smaller the unit is divided the more precise the measure becomes.

Practice Set (page 57)						
Use fraction manipulatives for hel	p.					
a. What fraction of this circle	e is <i>not</i> shaded?					
<b>b.</b> What <i>percent</i> of this circle is <i>not</i> shaded?						
c. Half of a whole is what percent of the whole?						
Shade the circles to illustrate each fraction, mixed number, or percent.						
d. $\frac{2}{3}$	<b>e.</b> 75%	f. $2\frac{3}{4}$ $\bigoplus \bigoplus \bigoplus$				
Saxon Math Course 2	L8-29	Adaptations Lesson 8				

## Practice Set (continued) (page 57)



i. Find XZ to the nearest sixteenth of an inch.



**j.** A measure is **precise** within half of the unit used for the measurement. If the unit is  $\frac{1}{4}$  of an inch, the measure is **precise** to  $\frac{1}{8}$  of an inch.

So the precise measure of  $\frac{1}{8}$  of an inch would be \_\_\_\_\_ of an inch.

**k.** Arrange in order:  $\frac{1}{4}, \frac{1}{2}, \frac{1}{8}, \frac{1}{16}$  Use the ruler shown on the previous page.

least

greatest



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Adaptations Lesson 8

14





# Adding, Subtracting, and Multiplying Fractions

- Reciprocals (page 60)
- To **add** *like* fractions, add the *numerators.* The denominator does not change.  $\frac{3}{5} + \frac{2}{5} = \frac{5}{5} = 1$
- As the example shows, a fraction with equal numerator and denominator is equal to 1.
- To subtract like fractions, subtract the numerators. The denominator does not change.  $\frac{5}{9} - \frac{1}{9} = \frac{4}{9}$
- To add or subtract **percents,** add or subtract the whole-number parts first. Then add or subtract the fraction parts. The denominator does not change.
- To multiply fractions, multiply across *both* numerators and denominators.  $\frac{1}{2} \cdot \frac{3}{4} = \frac{3}{8}$
- **Reciprocal** means to "flip" or  $\frac{3}{4} \longrightarrow \frac{4}{3}$  invert the fraction.
- Inverse Property of multiplication: The product of a number  $\frac{4}{3} \cdot \frac{3}{4} = \frac{12}{12} = 1$  and its reciprocal is 1.

Practice Set (page 63)

**a.**  $\frac{5}{6} + \frac{1}{6} =$  **b.**  $\frac{4}{5} - \frac{3}{5} =$  **c.**  $\frac{3}{5} \times \frac{1}{2} \times \frac{3}{4} =$  **d.**  $\frac{3}{3} + \frac{3}{3} + \frac{2}{3} =$  **e.**  $\frac{4}{7} \times \frac{2}{3} =$  **f.**  $\frac{5}{8} - \frac{5}{8} =$  **g.**  $14\frac{2}{7}\% + 14\frac{2}{7}\% =$  **h.**  $87\frac{1}{2}\% - 12\frac{1}{2}\% =$ 

Write the reciprocal of each number. The product of a number and its reciprocal is always \_\_\_\_\_.

i.  $\frac{4}{5}$   $\rightarrow$  j.  $\frac{8}{7}$   $\rightarrow$  k. 5  $\rightarrow$ 

Find each missing number. Think reciprocal for I, m, o, and p.

**l.** 
$$\frac{5}{8}a = 1$$
  $a_{\underline{=}}$  **m.**  $6m = 1$   $m = 1$ 

- **n.** Gia's ruler is divided into tenths  $(\frac{1}{10})$  of an inch. What fraction of an inch represents the greatest possible measurement error due to Gia's ruler? Why? A measure is **precise** within half of the unit used for the measurement. If the unit is  $\frac{1}{4}$  of an inch, the measure is **precise** to  $\frac{1}{8}$  of an inch.
  - \_\_\_\_ of an inch, because  $\frac{1}{2}$  of \_\_\_\_\_ is \_\_\_\_\_ .
- **o.** How many  $\frac{2}{3}$ s are in 1? \_\_\_\_\_
- **p.** If  $a \div b$  equals 4, what does  $b \div a$  equal? \_\_\_\_\_
- q. Reciprocals show the \_\_\_\_\_ Property of multiplication.

#### Name \_\_\_\_

### Teacher Notes:

- Introduce Hint #24, "Reciprocal."
- Review "Fraction Terms" on page 12 in the *Student Reference Guide.*

Written Practice (page 64)	
<b>1.</b> ( ) ÷ ( ) = sum product	2. (C) Apples (C) per pound (C) Apples (C) per pound
	Use work area.
<b>3.</b> a. $\frac{1}{2}$ $\bigcirc$ $\frac{1}{2} \cdot \frac{1}{2}$	<b>4.</b> expanded notation twenty-six thousand
One half is <u>g</u> than <u>o</u>	_
half times one <u>h</u> .	
<b>b.</b> -2 -4	
N two is g than	,,
negative <u>f</u> Use work a	area. $(\times) + (\times)$
5. a. A dime is what fraction of a dollar?	6. a. fraction shaded
<b>b.</b> A dime is what percent of a dollar?	<b>b.</b> fraction not shaded
a b	ab
7. (E)(M)	8. <u>L</u> <u>M</u> N
It is a <u>s</u> because it has two	
<u>e</u> .	· · · · · · · · · · · · · · · · · · ·
Use work area.	<i>LM</i> is in. <i>MN</i> is in. <i>LN</i> is in.
<b>9. a.</b> List the factors of 18,,	_,,,
<b>b.</b> List the factors of 24,,	-,,,,,
<b>c.</b> Which numbers are factors of both 18 and $2^4$	4?
<b>d</b> . Which number is the GCE of 18 and 2/2	,,,
	Use work area.





 Writing Division Answers as Mixed Numbers

• Improper Fractions (page 66)

• To write the *answer* as a **mixed number:** Show the *remainder* as the *numerator* and the **divisor** as the **denominator** of the fraction.



- An **improper fraction** is a fraction whose numerator is equal to or greater than its denominator (top-heavy fraction).
- If the answer to an arithmetic problem is an improper fraction, **convert** it to a mixed number.
- To change an **improper fraction** to a *mixed number:* Divide the denominator into the numerator.

 $\frac{5}{3} \longrightarrow 3\overline{)5} \longrightarrow 1\frac{2}{3}$  $\frac{3}{2}$ 

• To change a *mixed number* to an **improper fraction:** Multiply, then add. Keep the same denominator.

## Practice Set (page 70)

- **a.** Alexis cut a 35-inch ribbon into four equal lengths. How long was each of the shorter pieces of ribbon?
- **b.** One day is what percent of one week?

Convert each improper fraction to either a whole number or a mixed number.

35

100%

Name \_

 $3\frac{1}{4} \longrightarrow (3 + \frac{1}{4} = \frac{(4 \times 3) + 1}{4} = \frac{13}{4}$ 

#### Teacher Notes:

- Introduce Hint #25, "Improper Fractions."
- Refer students to "Mixed Numbers and Improper Fractions" on page 12 in the *Student Reference Guide.*

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# Written Practice





